

FIG. 1A

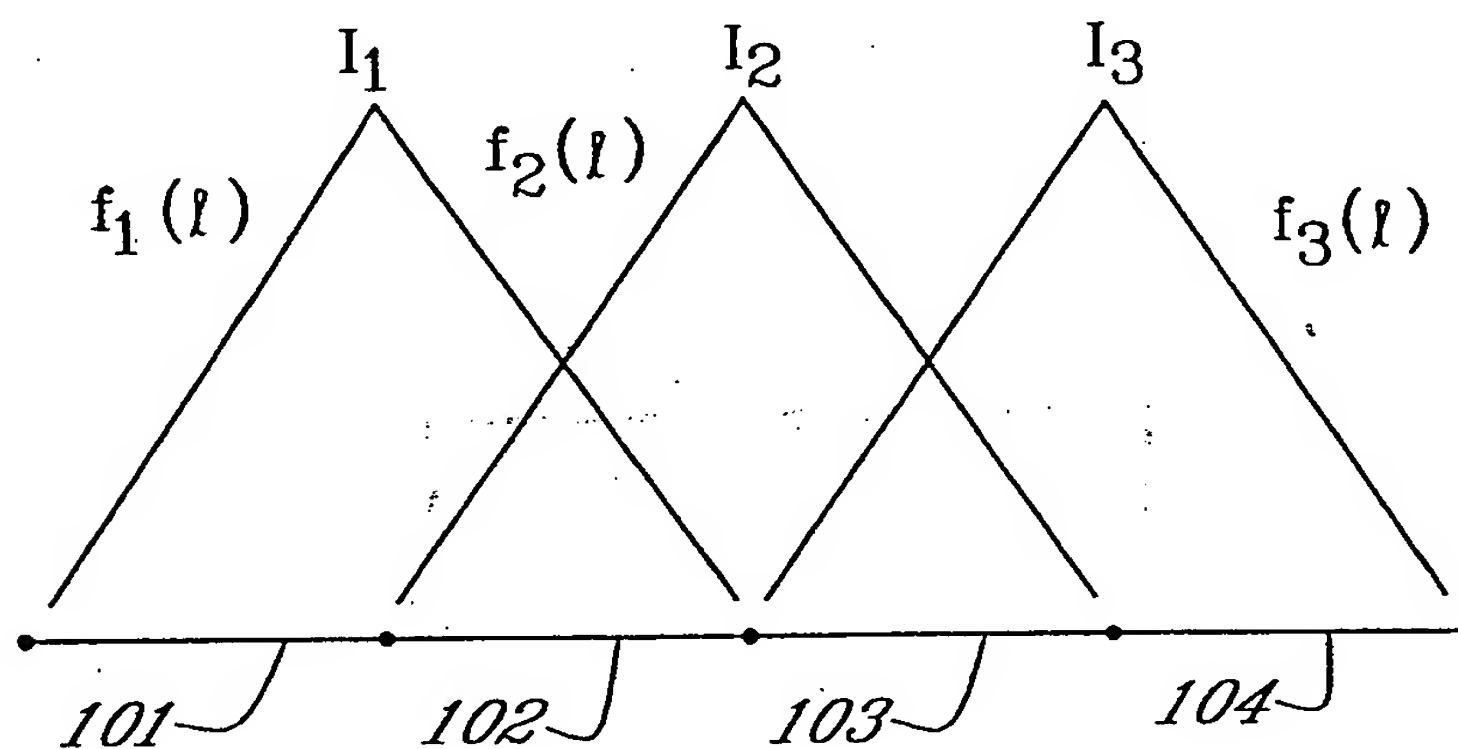


FIG. 1B

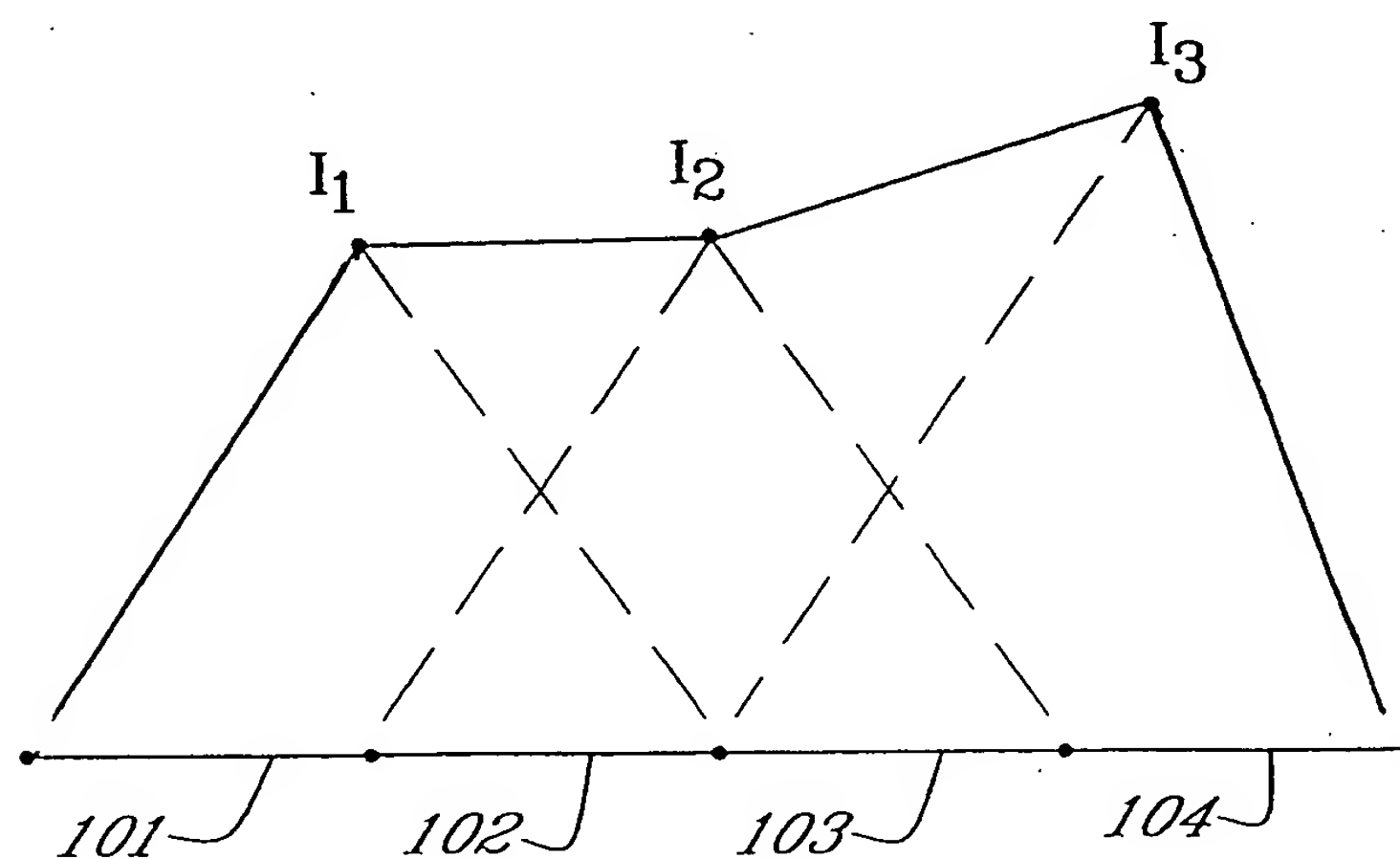


FIG. 1C

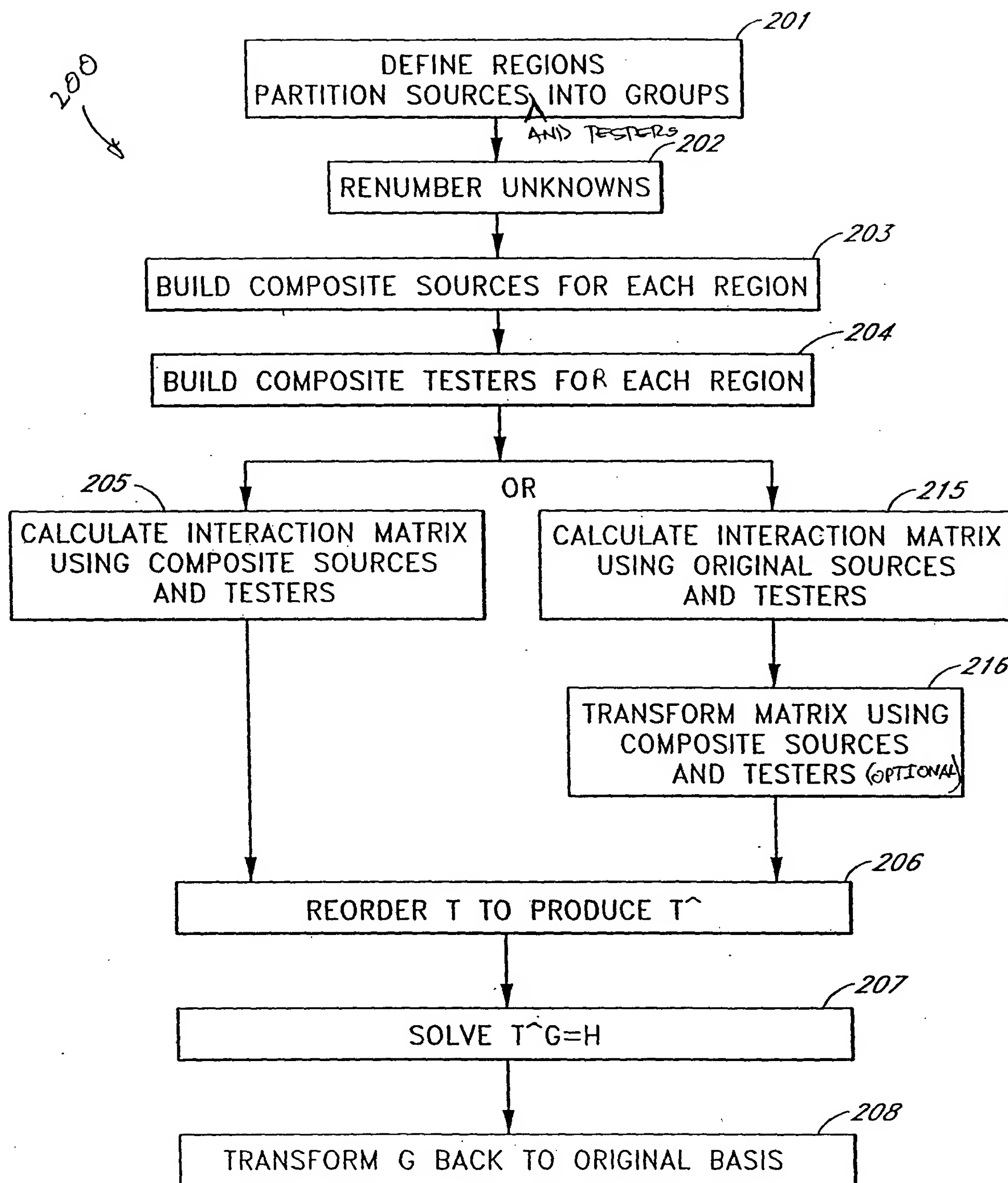


FIG. 2

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
INTERACTION DATA

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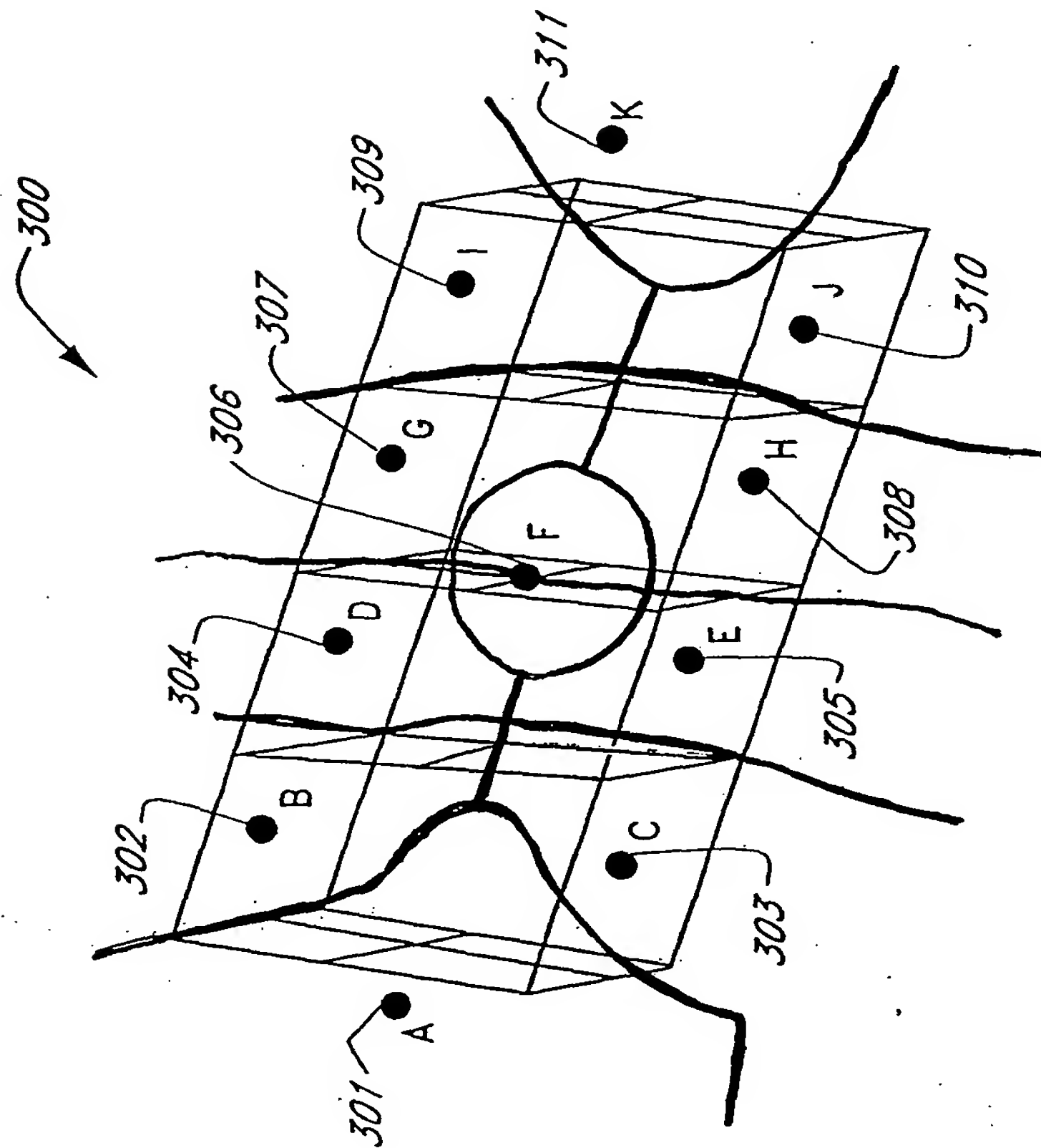


FIG. 3

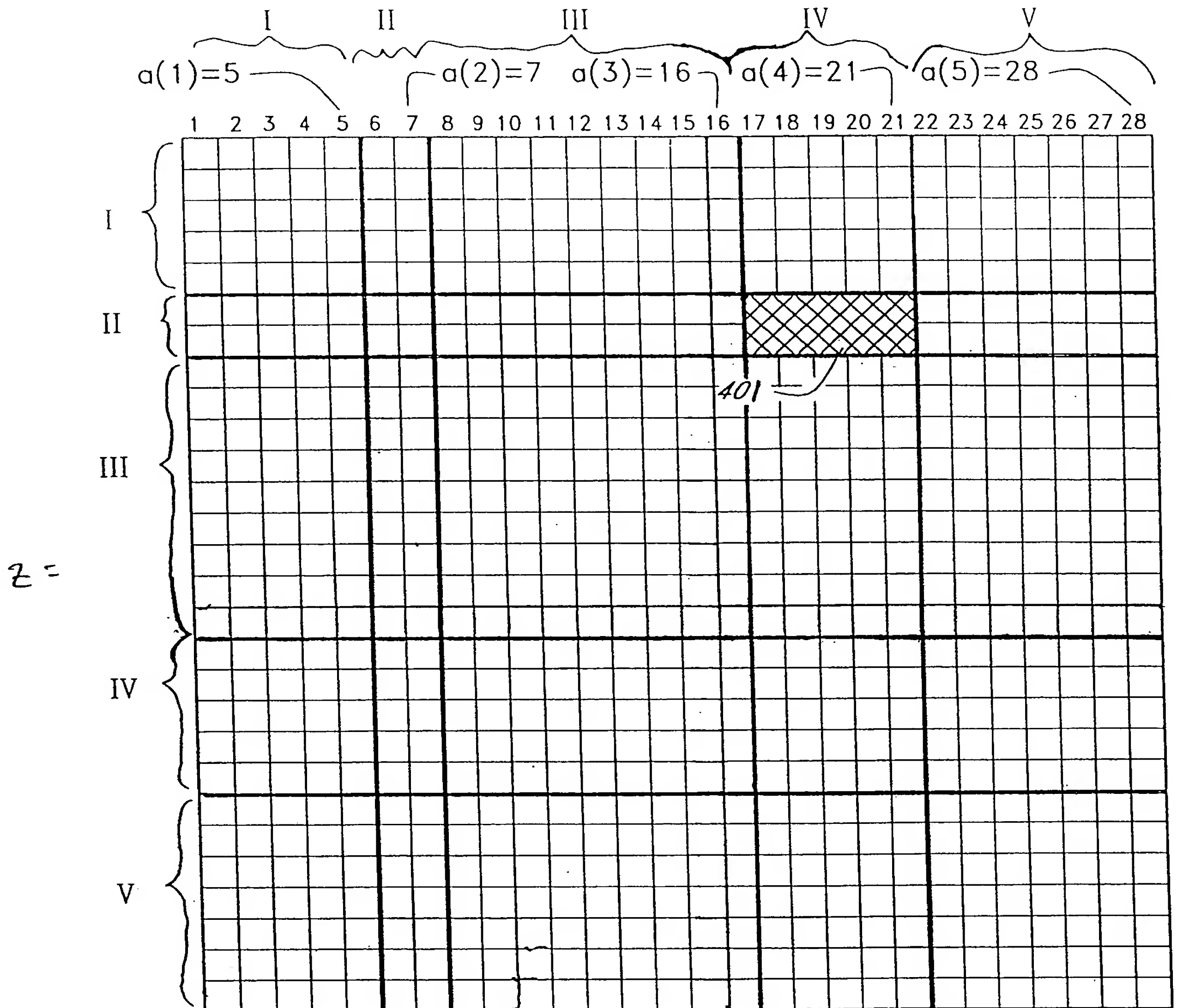


FIG. 4

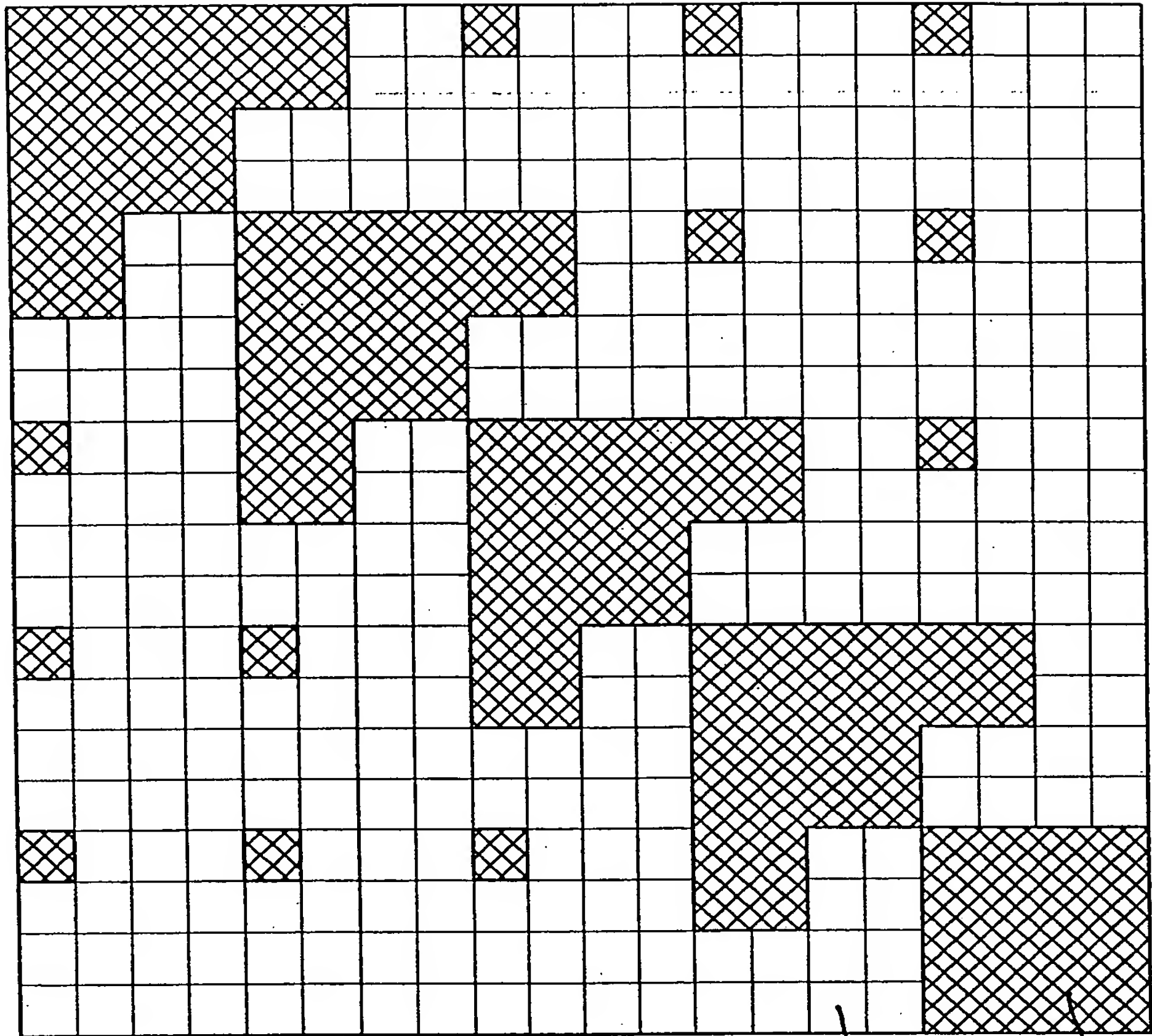
A 400

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
INTERACTION DATA

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500 ↗

FIG. 5

501

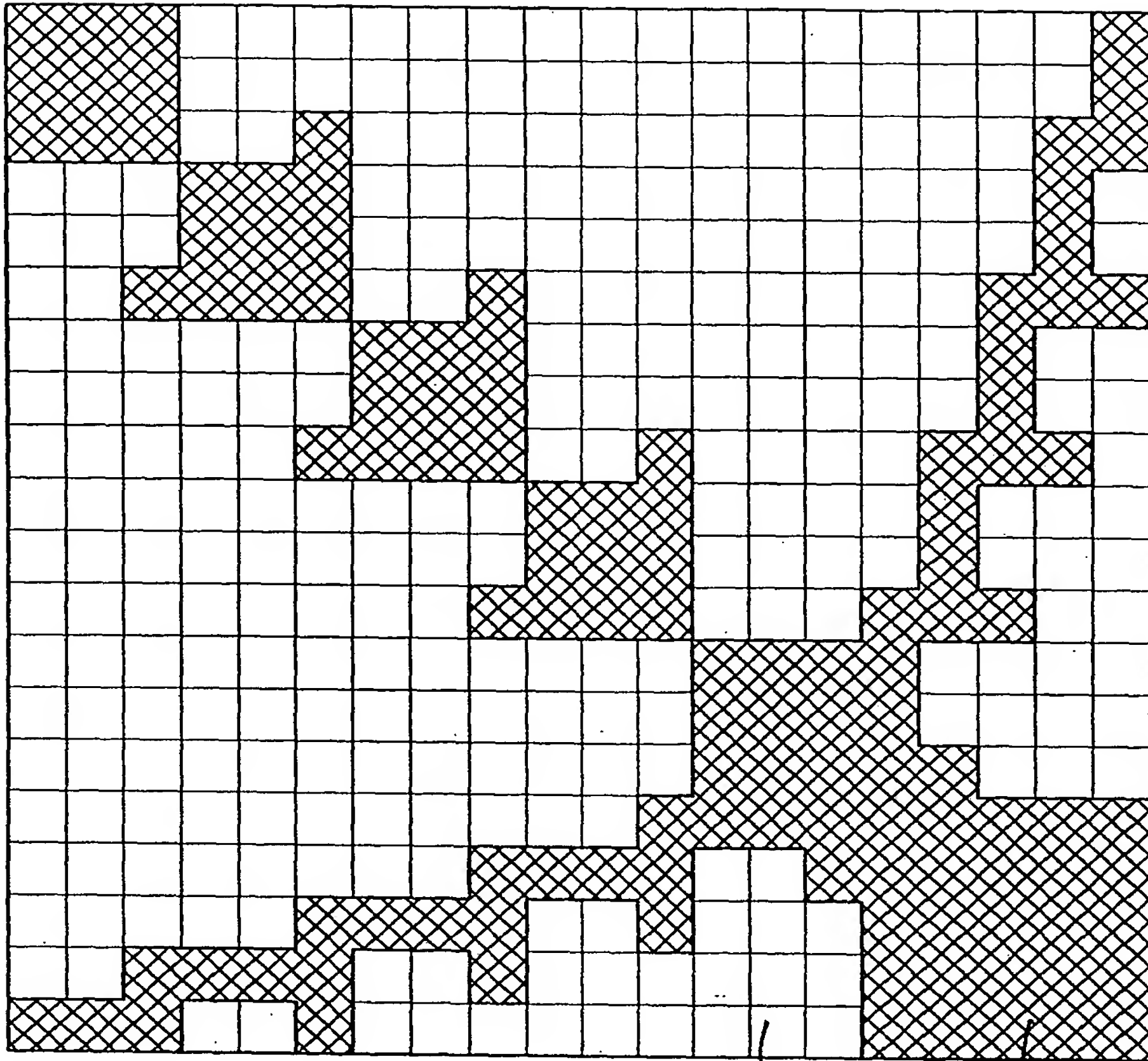
502

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
INTERACTION DATA

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600

FIG. 6

601

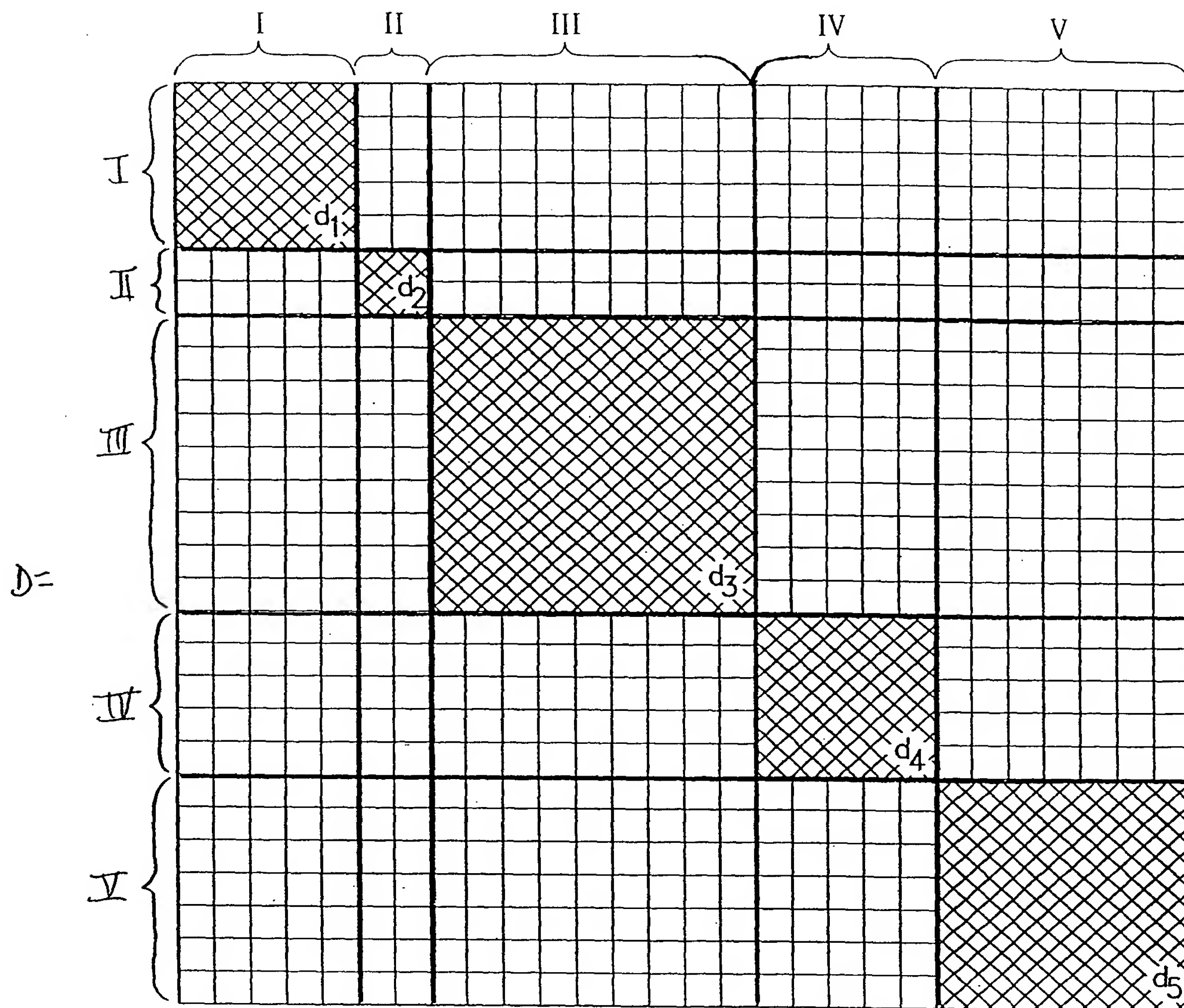
602

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
INTERACTION DATA

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700 ↗

FIG. 7

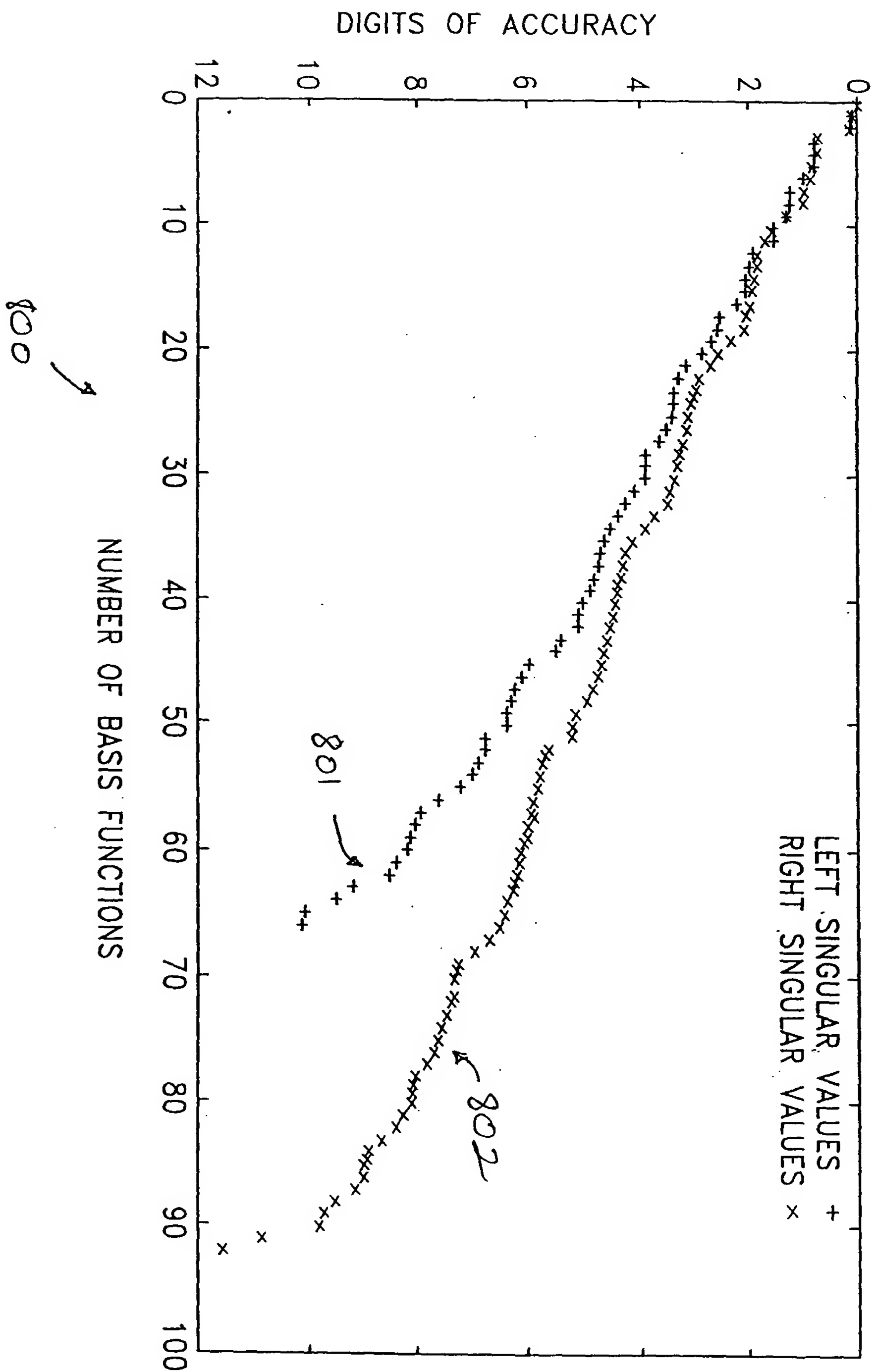


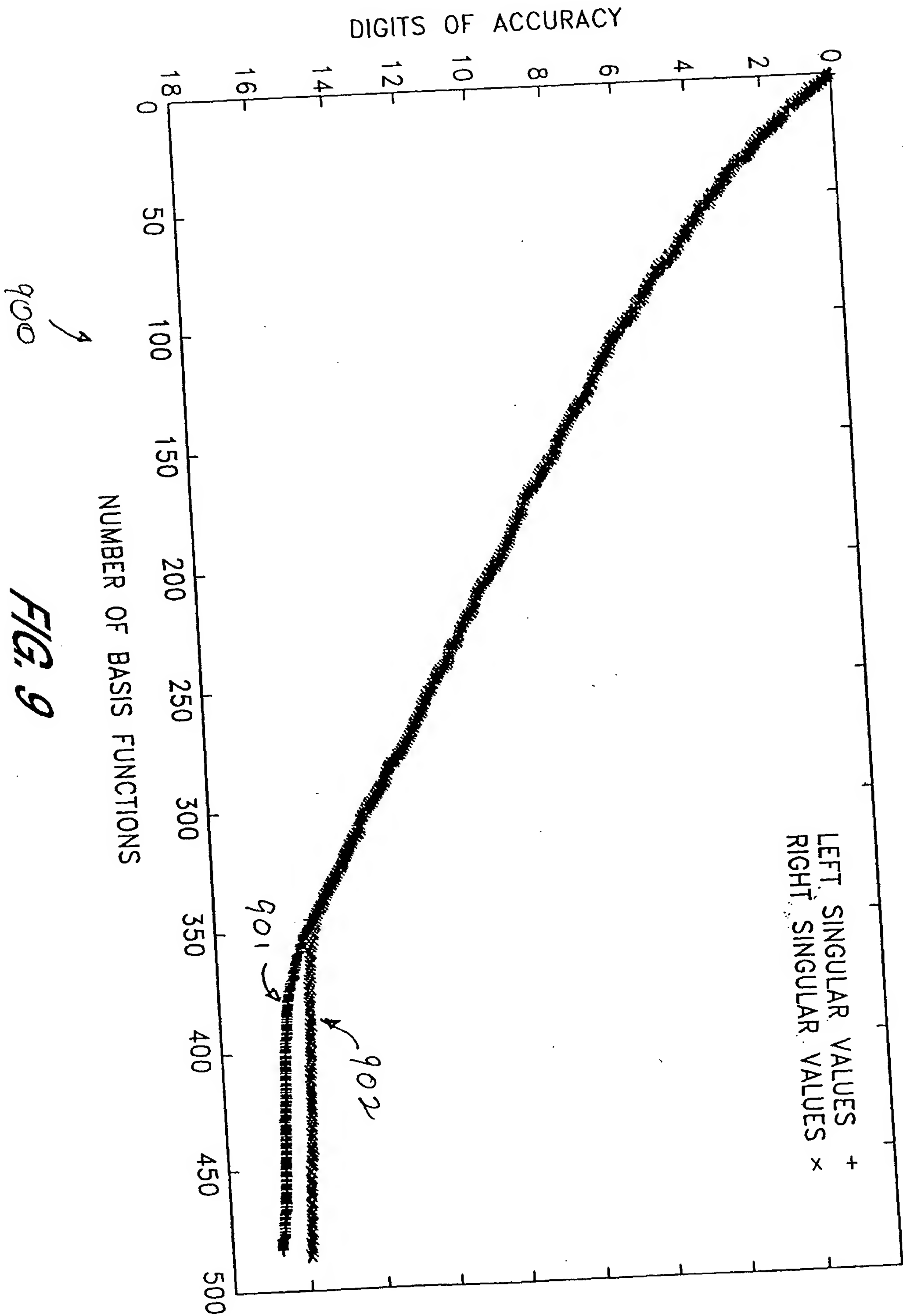
FIG. 8

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
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10A
10B

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
INTERACTION DATA

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1000

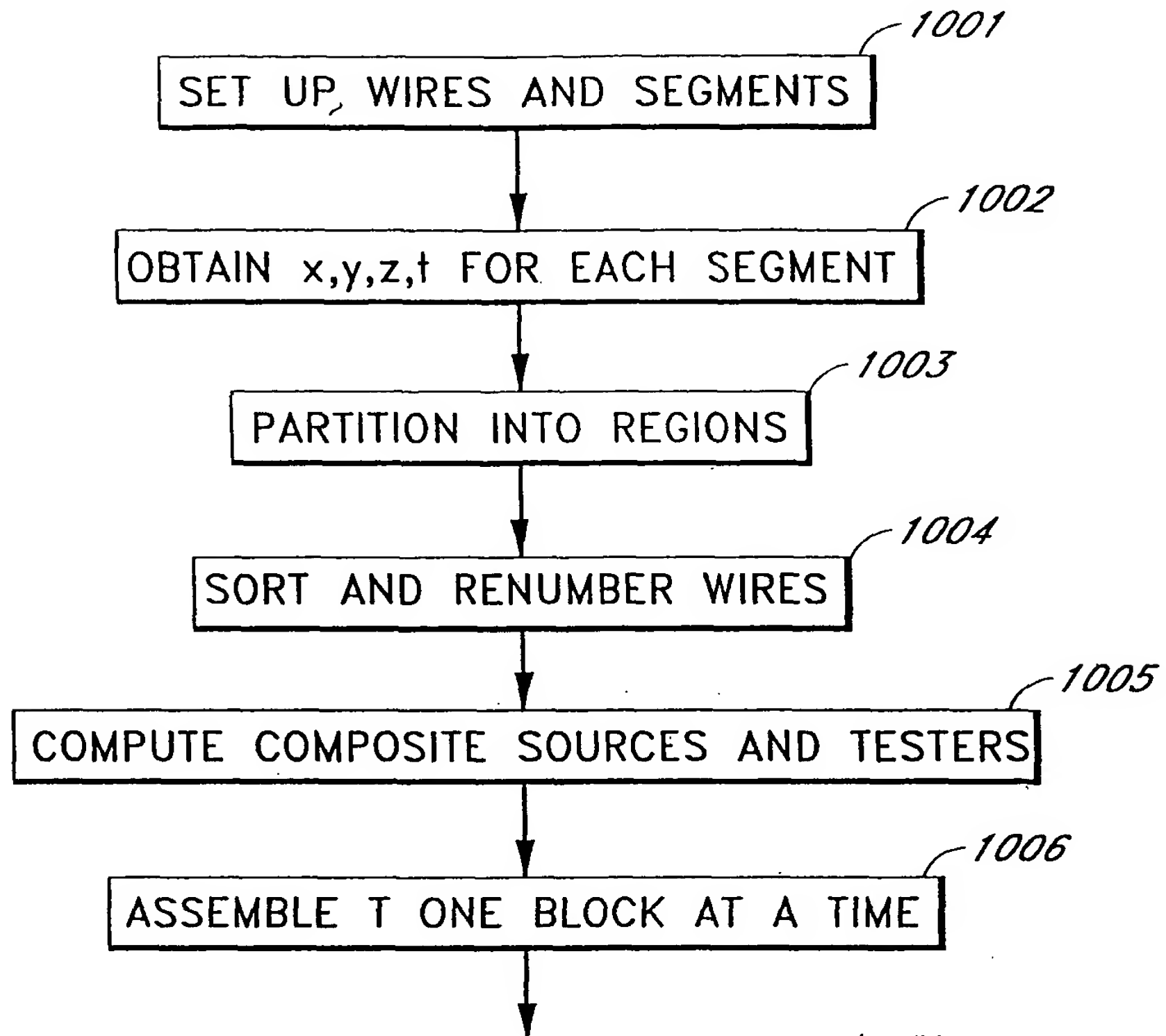


FIG. 10

Apply Solver permutation T
giving T^{\wedge} (1007)

Solve T^{\wedge} using Sparse solver
(1008)

Compute E (1009)

Apply Region permutation
to E giving E' (1010)

Compute $D^L E'$ (1011)

Apply Solver permutation
to $D^L E'$ giving $(D^L E')^{\wedge}$
(1012)

Solve for (Y^{\wedge}) in
 $T^{\wedge} (Y^{\wedge}) = (D^L E')^{\wedge}$
(1013)

Apply inverse of Solver
permutation to Y^{\wedge} to get Y
(1014)

Compute J' from
 $J' = D^R Y$ (1015)

Apply inverse of region
permutation to J' giving J
(1016)

Solve T using a
REORDERING MATRIX
SOLVER
(1017)

Compute E (1018)

Apply Region permutation
to E giving E' (1019)

Compute $D^L E'$ (1020)

Solve for Y in
 $T Y = D^L E'$
(1021)

Compute J' from
 $J' = D^R Y$ (1022)

Apply inverse of region
permutation to J' giving J
(1023)

Log(base 10) of Magnitude

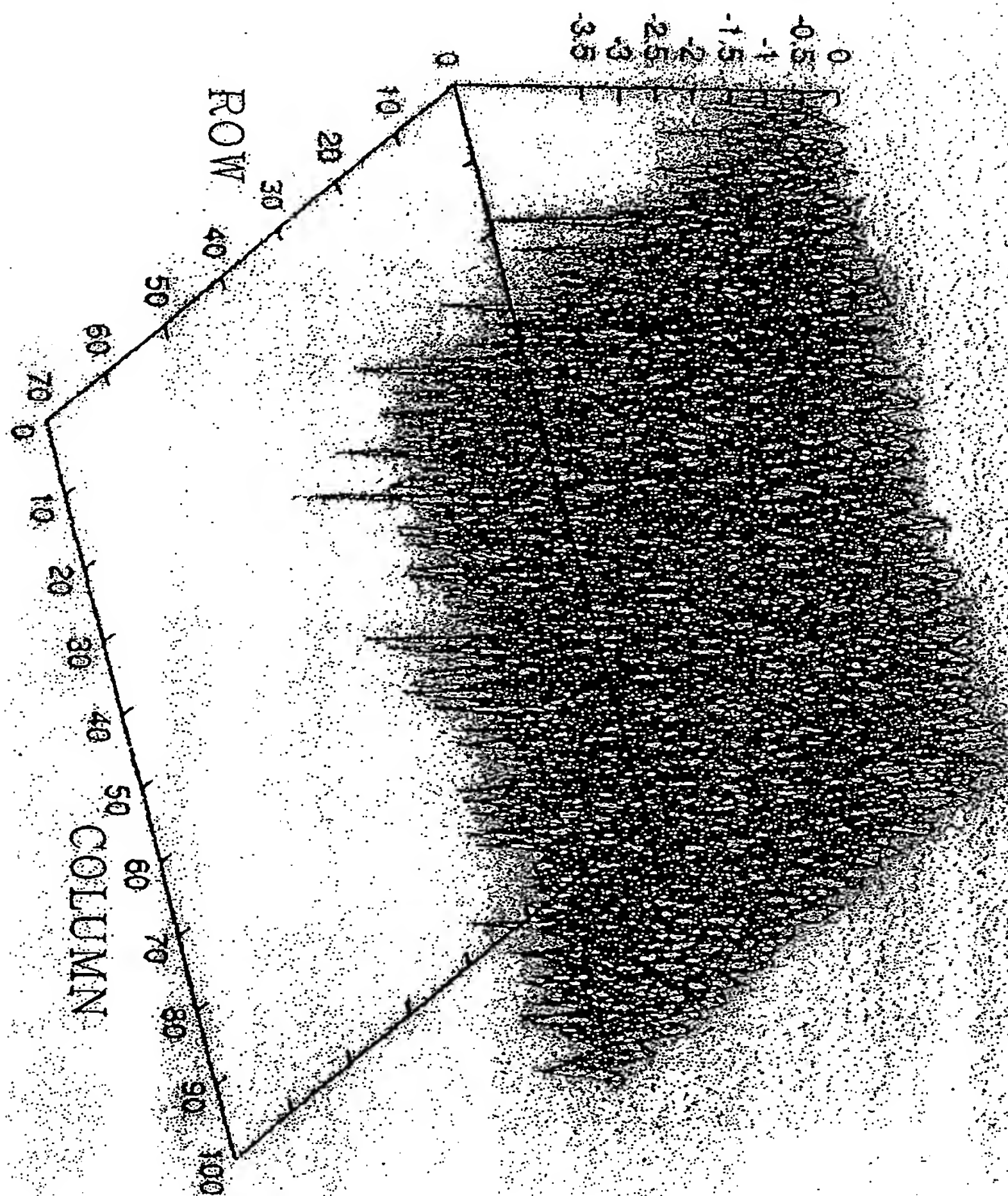


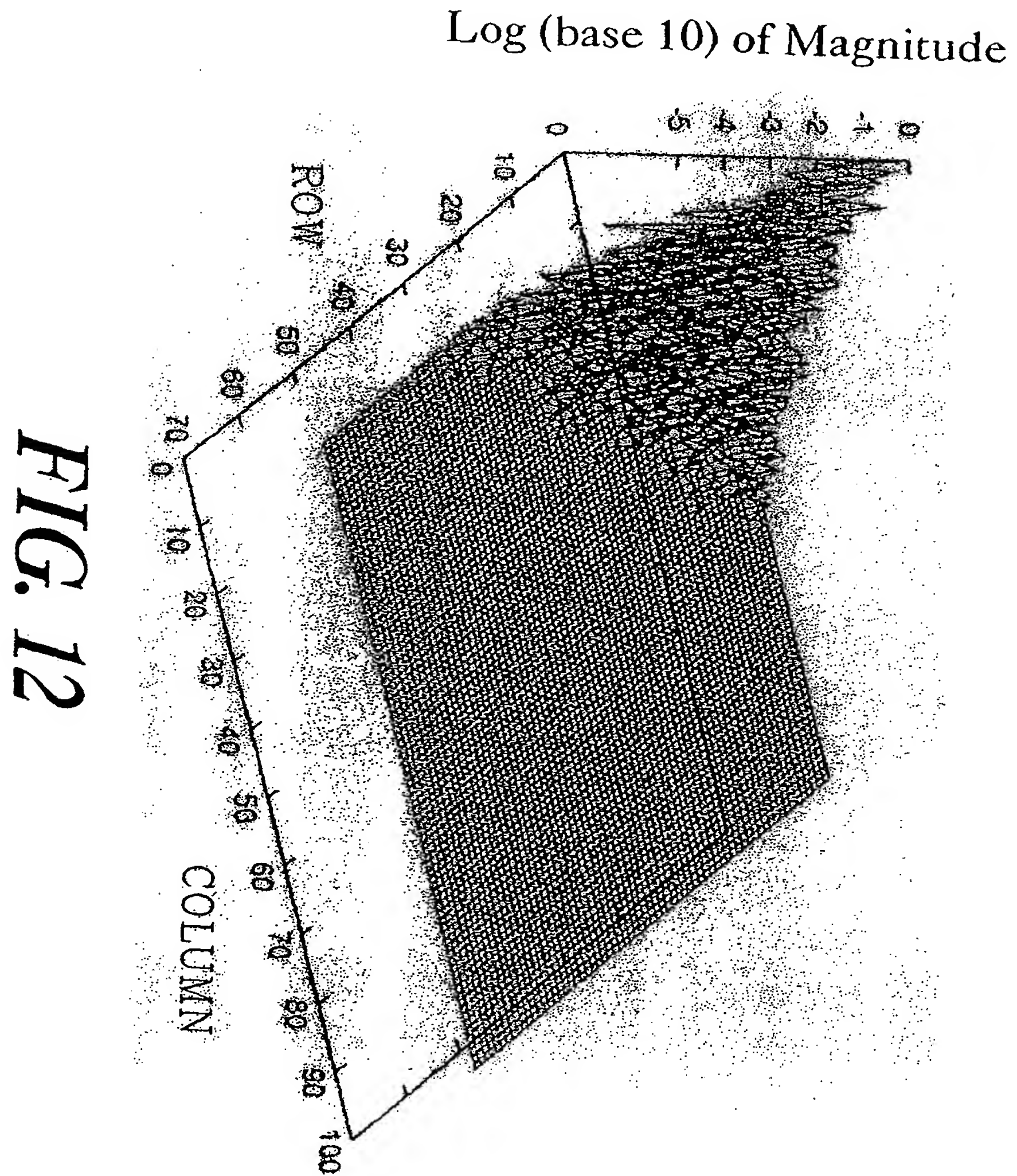
FIG. 11

SPARSE AND EFFICIENT BLOCK FACTORIZATION FOR
INTERACTION DATA

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$$\tilde{\mathbf{A}}_{i,j} = \begin{array}{|c|} \hline \blacksquare \\ \hline \end{array} \quad i > j$$

$$\mathbf{B}_{i,j} = \begin{array}{|c|} \hline \blacksquare \\ \hline \end{array} \quad i < j$$

$$\mathbf{B}_{j,j}^{-1} = \blacksquare$$

$$\mathbf{A}_{i,j} = \tilde{\mathbf{A}}_{i,j} \mathbf{B}_{j,j}^{-1} :$$

$$\begin{array}{|c|} \hline \blacksquare \\ \hline \end{array} \blacksquare = \begin{array}{|c|} \hline \blacksquare \\ \hline \end{array}$$

$$\mathbf{A}_{i,k} \mathbf{B}_{k,j} : \\ i < k \quad k < j$$

$$\begin{array}{|c|} \hline \blacksquare \\ \hline \end{array} \begin{array}{|c|} \hline \blacksquare \\ \hline \end{array} = \begin{array}{|c|} \hline \blacksquare \\ \hline \end{array}$$

FIG 13

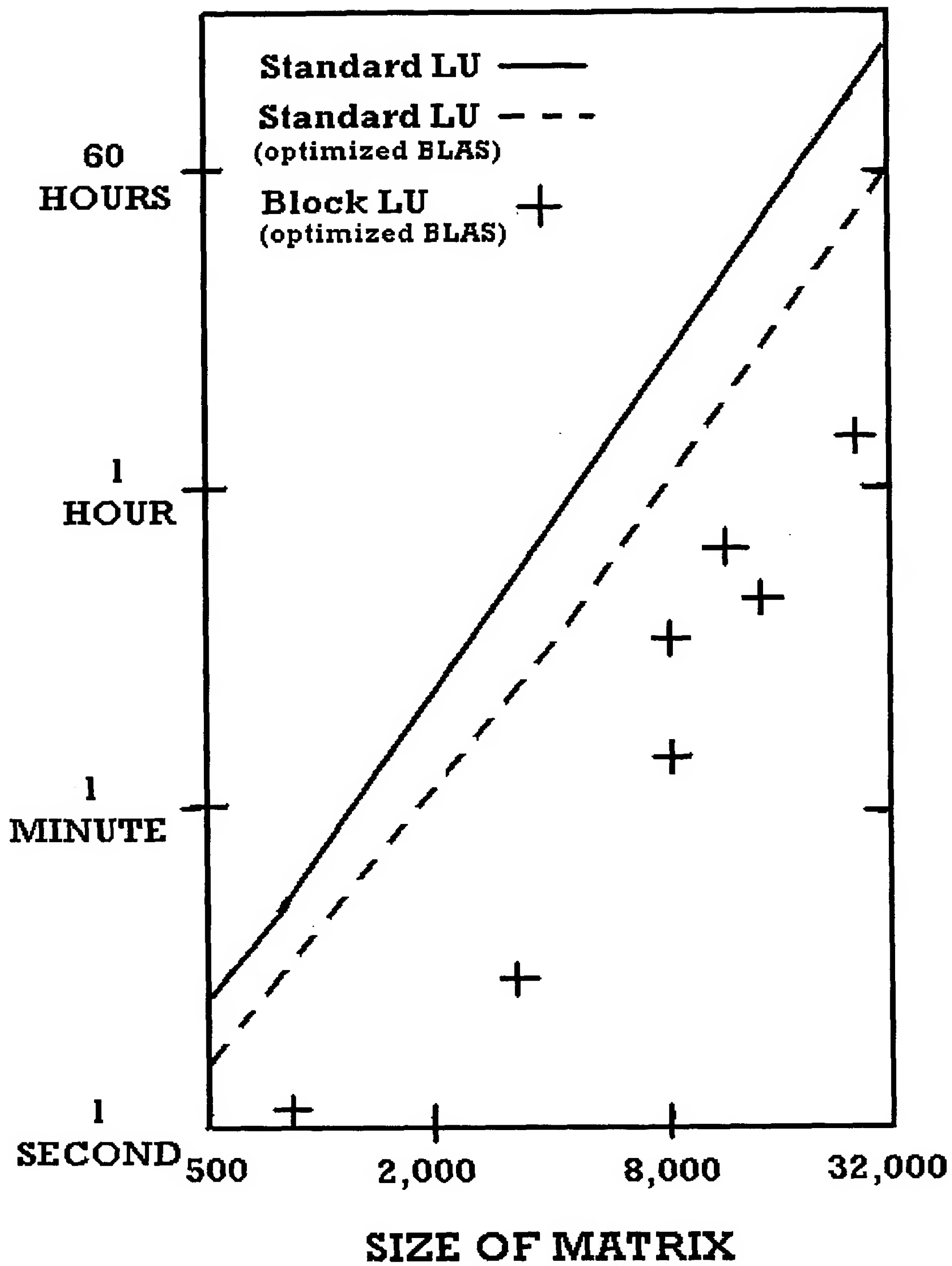


FIG 14